

Program Slicing (Part 2)

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Agenda

- Variants of static slicing
- Challenges in static slicing
- Dynamic slicing
- Slicing variants in recent past
- References

To recapitulate ...

- Executable backward static slicing by Weiser (as program slicing)
 - Slice $P' = S(P, \langle s, X \rangle)$ is result of deleting some statements from P , such that

P and P' are indistinguishable when their behaviour is observed through “same corresponding window”, $\langle s, X \rangle$ and $\langle s', X \rangle$ respectively

For all corresponding **terminating** executions of P and P' (on same input)

Value of X at s in execution of P is same as value of X at s' in execution of P'

- Computed as a data flow equation or by backward traversal over PDG
 - PDG is a graph representing data dependence as well as control dependence relationship among statements
- A minimal slice is non-computable

Variants of static program slicing

- Backward / Forward
- Executable / Non-executable
- Intraprocedural / Interprocedural

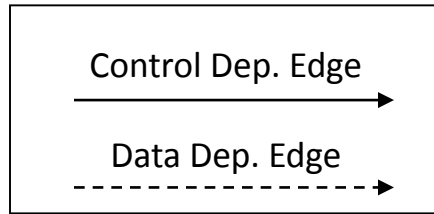
Forward slicing

- To answer the question

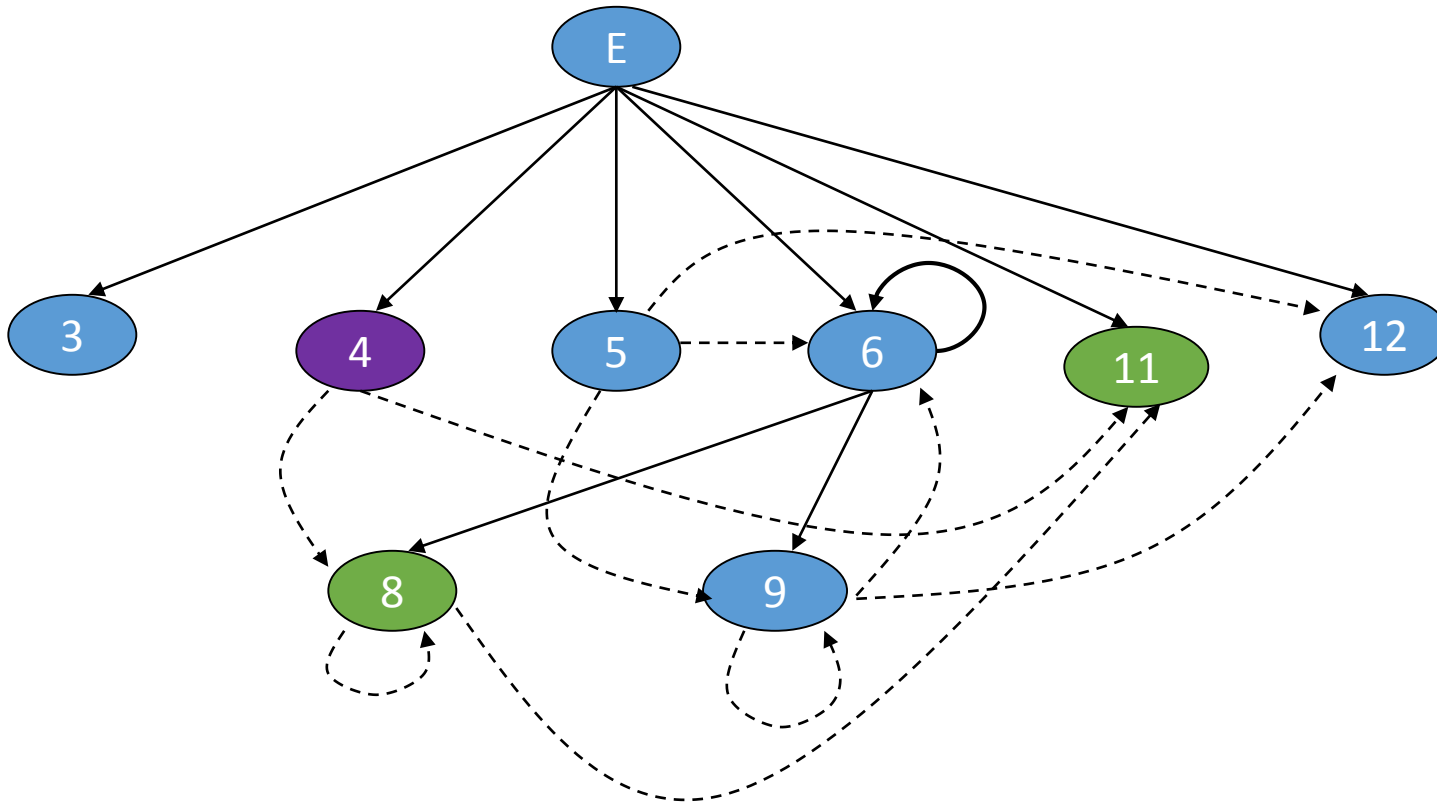
Which statements get influenced if value of v is changed at s

- The general slicing criterion is still $\langle s, X \rangle$
- Forward slice with respect to $\langle s, X \rangle$ consists of all statements and predicates that may be affected by the value of X at s
- Forward slice is non-executable, in general

Forward slicing using PDG



Let slicing criterion be $\langle 4, \{sum\} \rangle$



```
1. main()
2. {
3.   int i, sum;
4.   sum = 0
5.   i = 1
6.   while (i <= 10)
7.   {
8.     sum = sum + 1
9.     i = i + 1
10.  }
11.  printf("%d", sum)
12.  printf("%d\n", i)
13. }
```

Nodes which are reachable (forward traversal) from slicing criterion node are in slice : {8,11}

Use of forward slicing

- Maintenance
 - Identifying impacted piece of code for a change in code
- Regression testing
 - Identifying minimal set of test cases to run for incremental changes

Challenges in static slicing

- Unstructured programs
- Arrays
- Pointers
- Structures
- Procedures
- Parallel programs
- ...

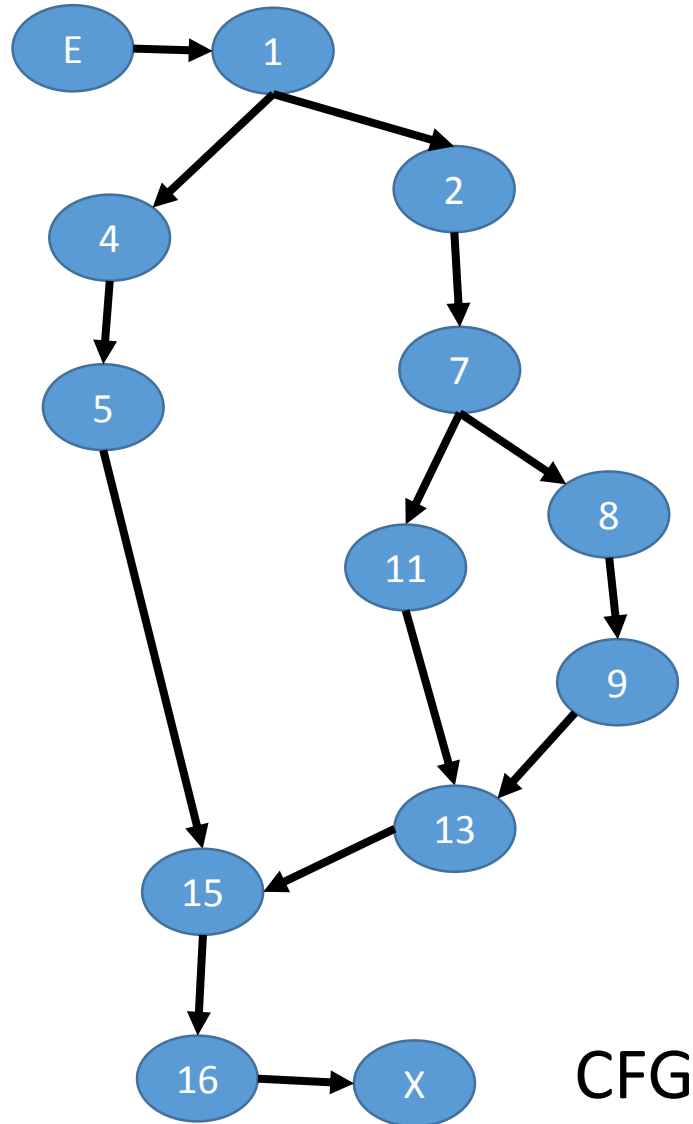
Unstructured programs

- GOTO statements define only unconditional control flow
 - No node can be control dependent on a GOTO statement
 - No node can be data dependent on a GOTO statement
 - GOTO statements will never get included in a slice
- One can produce goto less programs and then slice
 - The new program can be quite different textually

```
1.  if (x!=0)
2.    goto L1
3.  endif
4.  x = 10;
5.  goto L2
6.  L1:
7.  if (y > 0)
8.    w = 10
9.    goto L3
10. endif
11. w = 20
12. L3:
13. x = 20
14. L2:
15. t=x
16. w = t
```

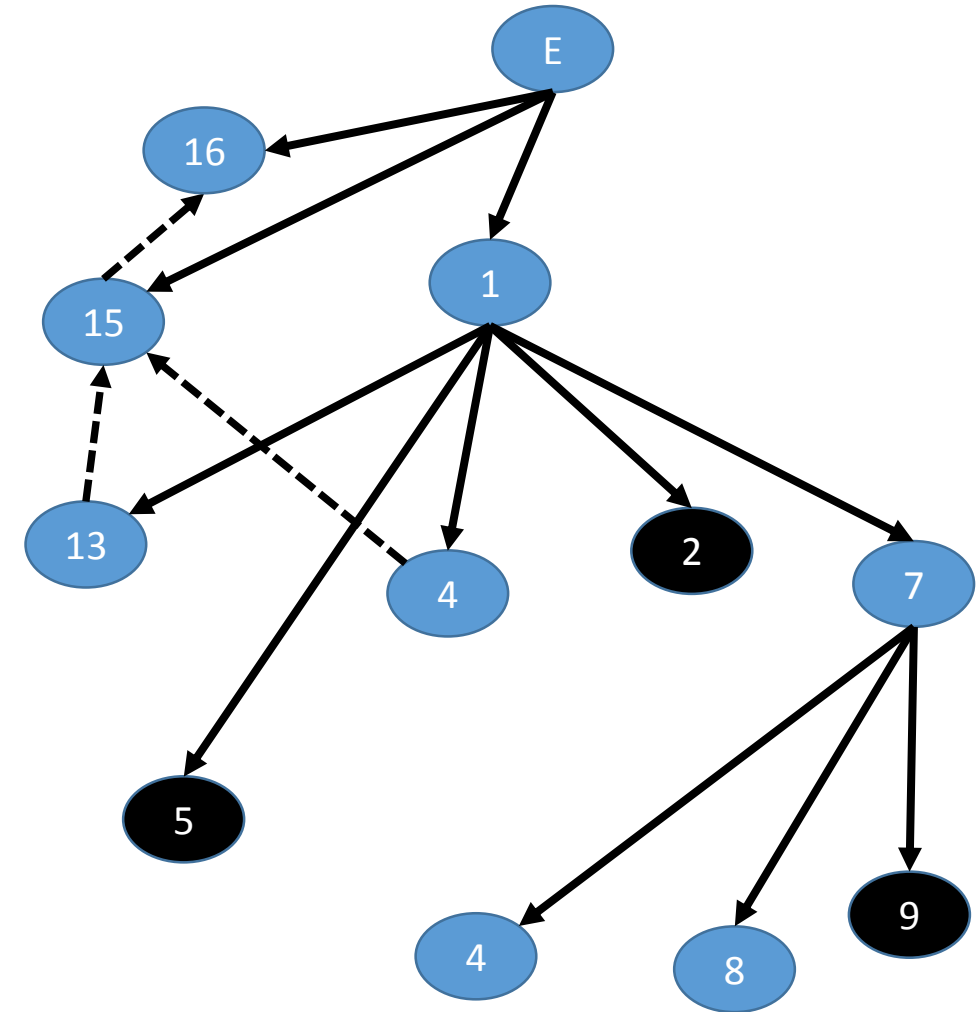
Many approaches have been suggested with varying degree of precision

Unstructured programs



CFG

```
1.  if (x!=0)
2.    goto L1
3.  endif
4.  x = 10;
5.  goto L2
6.  L1:
7.  if (y > 0)
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```



PDG

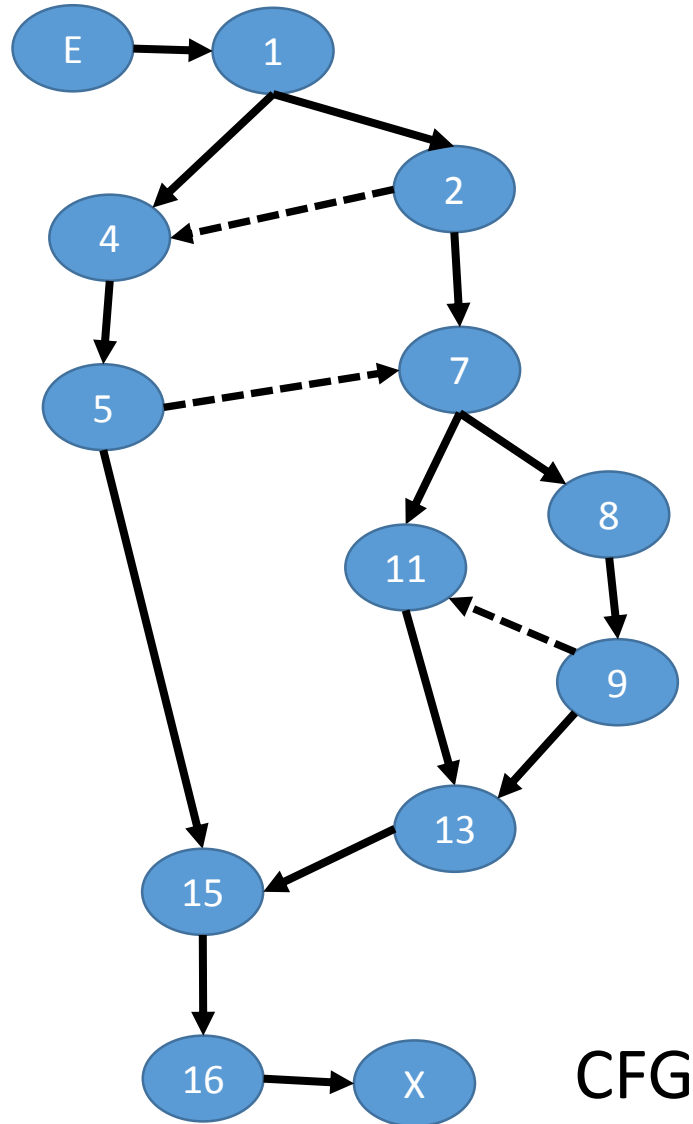
Slicing criterion : <16,{t}>

Unstructured programs

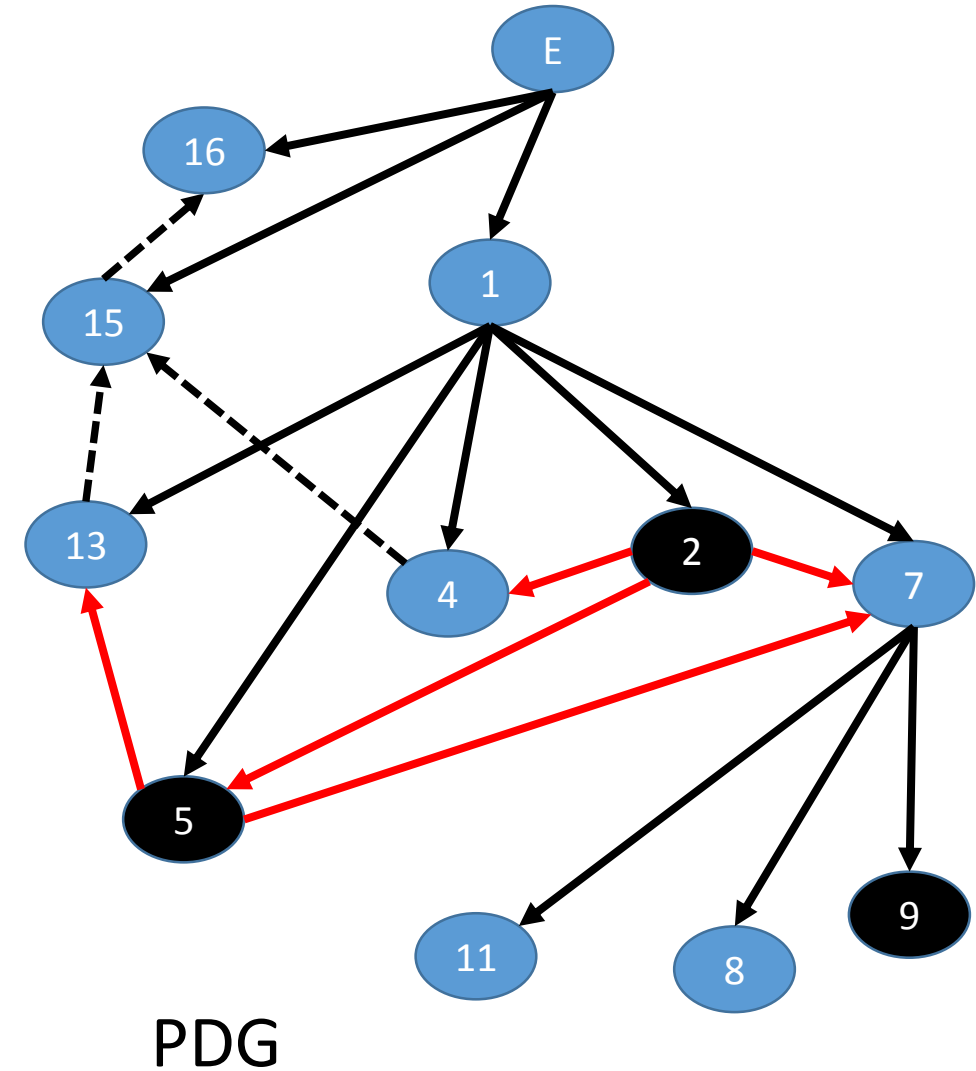
- In CFG, add auxiliary flow from GOTO node to textually successor statement
- Consider the auxiliary edges for control dependence only
- Perform slicing using the resulting PDG in usual manner
- Add the labels for GOTOs included in slice

```
1.  if (x!=0)
2.    goto L1
3.  endif
4.  x = 10;
5.  goto L2
6.  L1:
7.  if (y > 0)
8.    w = 10
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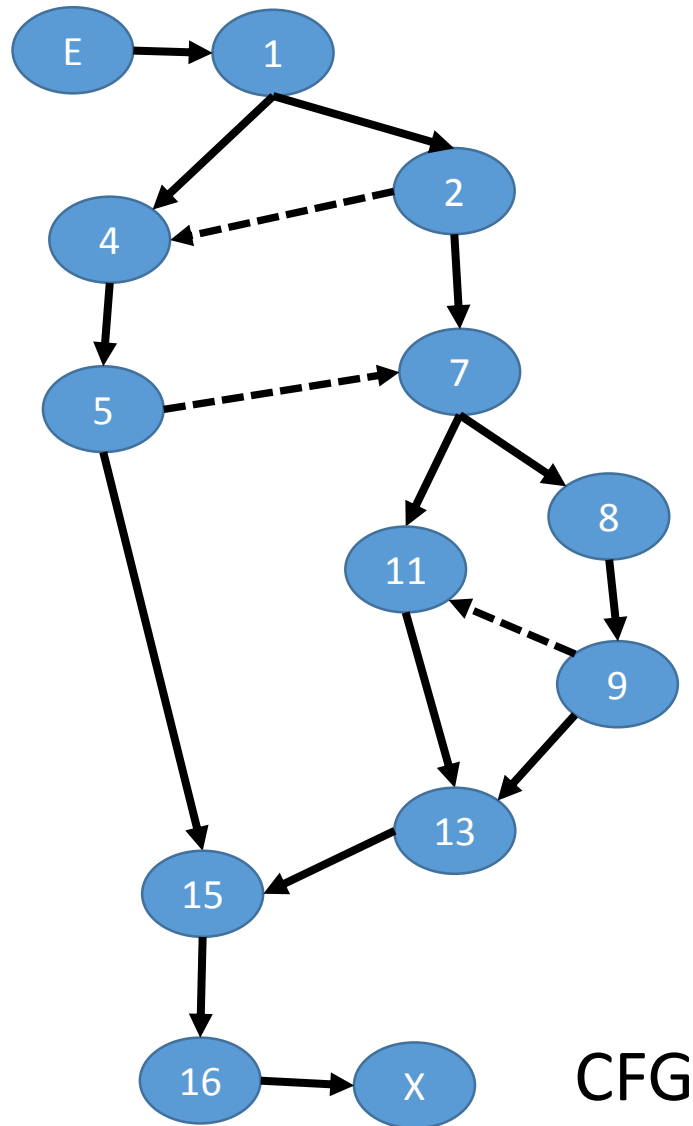
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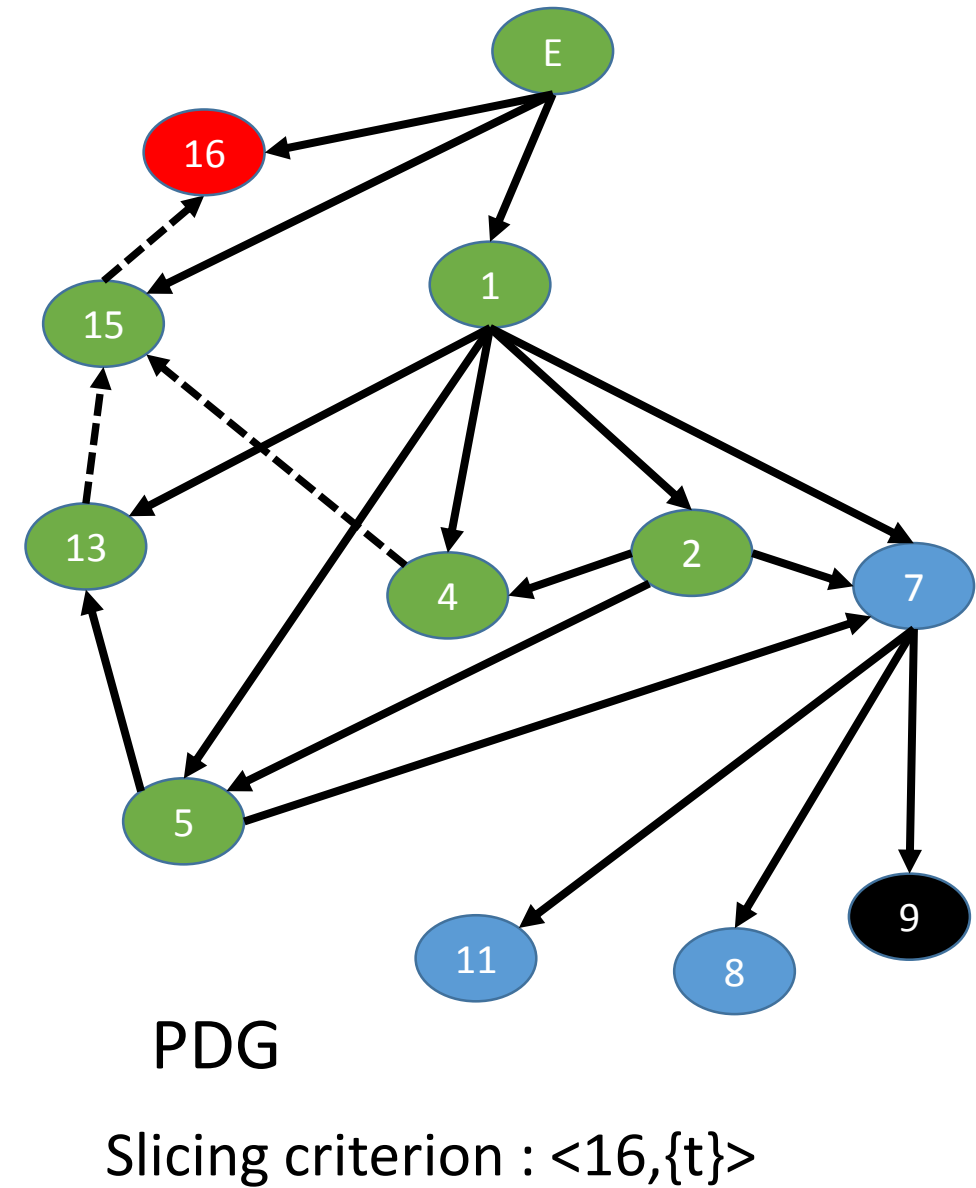


Unstructured programs



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12. L3:
13. x = 20
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15. t=x
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```



Arrays and pointers

- Need to answer questions:
 - Do `a[e1]` and `a[e2]` refer to same element ?
 - Can `*p` and `*q` refer to same variable ?
- In general, these questions are undecidable
- One way is to assume that `a[e1]` and `a[e2]` may refer to same element (results in quite imprecise slice)
- Use a points-to analysis to infer what does `*p` stand for
 - Steengard's or anderson's algorithm
 - Computing points-to using data flow analysis
- Precision of slice depends on precision of point-to information

```
a[k*i+c] = x;
...
y = a[h*i+d] ;

p = &t ;
q = &u;
if (x < 0)
    p = &y ;
*p = z // can change t or y
if (x > 0)
    q = &y;
w = *q ; // can refer to y or u
```

Handling procedures

- Approaches discussed so far consider programs as single monolithic procedure
- What if program consist of multiple procedures ?
- How to address procedure call statement ?

```
1.  s = 0;
2.  int main()
3.  {
4.      int i ;
5.      i= 1;
6.      while (i < 11)
7.          i = addi(i);
8.  }
9.  int addi(int y)
10. {
11.     s = add(s, y) ;
12.     y = incr(y);
13.     return y ; // {y}
14. }
```

```
15. int add (int a, int b)
16. {
17.     a = a + b;
18.     return a;
19. }
20. int incr(int z)
21. {
22.     int t ;
23.     t = 1;
24.     z = add(z, t);
25.     return z;
26. }
```

Slicing criterion : <13, {y}>

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- What if program consist of multiple procedures ?
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22.     int t ;
23.     t = 1;
24.     z = add(z, t);
25.     return z;
26. }
```

Slicing criterion : <13, {y}>

Handling procedures

- For call at 12, we get a slicing criterion $\langle 25, z \rangle$ (going **down** the call hierarchy)

```
1. s = 0;
2. int main()
3. {
4.     int i ;
5.     i = 1;
6.     while (i < 11)
7.         i = addi(i);
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25. return z; // {z}
26. }
```

Slicing criterion : $\langle 13, \{y\} \rangle$

Handling procedures

- For call at 12, we get a slicing criterion $\langle 25, z \rangle$ (going **down** the call hierarchy)
- For call at 24, we get a slicing criterion $\langle 18, a \rangle$ (going **down** the call hierarchy)

```
1. s = 0;
2. int main()
3. {
4.     int i ;
5.     i= 1;
6.     while (i < 11)
7.         i = addi(i);
8. }
9. int addi(int y)
10. {
11.     s = add(s, y) ;
12.     y = incr(y);
13.     return y ; // {y}
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Handling procedures

- For call at 12, we get a slicing criterion $\langle 25, z \rangle$ (going **down** the call hierarchy)
- For call at 24, we get a slicing criterion $\langle 18, a \rangle$ (going **down** the call hierarchy)
- At 17, value of a and b needed

```
1. s = 0;
2. int main()
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4.     int i ;
5.     i= 1;
6.     while (i < 11)
7.         i = addi(i);
8. }
9. int addi(int y)
10. {
11.     s = add(s, y) ;
12.     y = incr(y);
13.     return y ; // {y}
14. }
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Handling procedures

- For call at 12, we get a slicing criterion $\langle 25, z \rangle$ (going **down** the call hierarchy)
- For call at 24, we get a slicing criterion $\langle 18, a \rangle$ (going **down** the call hierarchy)
- At 17, value of a and b needed
- Before call to add at line 24 and 11, we get slicing criterion $\langle 24, \{z,t\} \rangle$ and $\langle 11, \{s,y\} \rangle$ (going **up**)

```
1. s = 0;
2. int main()
3. {
4.   int i ;
5.   i = 1;
6.   while (i < 11)
7.     i = addi(i);
8. }
9. int addi(int y)
10. {
11.   s = add(s, y) ; // {s,y}
12.   y = incr(y);
13.   return y ; // {y}
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Handling procedures

- For call at 12, we get a slicing criterion $\langle 25, z \rangle$ (going **down** the call hierarchy)
- For call at 24, we get a slicing criterion $\langle 18, a \rangle$ (going **down** the call hierarchy)
- At 17, value of a and b needed
- Before call to add at line 24 and 11, we get slicing criterion $\langle 24, \{z,t\} \rangle$ and $\langle 11, \{s,y\} \rangle$ (going **up**)
- So for call to addi at line 7, we get slicing criterion $\langle 7, \{s,i\} \rangle$ (going **up**)

```
1. s = 0;
2. int main()
3. {
4.   int i ;
5.   i= 1;
6.   while (i < 11)
7.     i = addi(i); // {s,i}
8. }
9. int addi(int y)
10. {
11.   s = add(s, y) ; // {s,y}
12.   y = incr(y);
13.   return y ; // {y}
14. }
```

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15. int add (int a, int b)
16. {
17.   a = a + b;
18.   return a; // {a}
19. }
20. int incr(int z)
21. {
22.   int t ;
23.   t = 1;
24.   z = add(z, t); // {z,t}
25.   return z; // {z}
26. }
```

Slicing criterion : $\langle 13, \{y\} \rangle$

Handling procedures

- For call at 12, we get a slicing criterion $\langle 25, z \rangle$ (going **down** the call hierarchy)
- For call at 24, we get a slicing criterion $\langle 18, a \rangle$ (going **down** the call hierarchy)
- At 17, value of a and b needed
- Before call to add at line 24 and 11, we get slicing criterion $\langle 24, \{z,t\} \rangle$ and $\langle 11, \{s,y\} \rangle$ (going **up**)
- So for call to addi at line 7, we get slicing criterion $\langle 7, \{s,i\} \rangle$ (going **up**)

Oops !! Everything in slice

```
1. s = 0;
2. int main()
3. {
4.   int i;
5.   i = 1;
6.   while (i < 11)
7.     i = addi(i); // {s,i}
8. }
9. int addi(int y)
10. {
11.   s = add(s, y) ; // {s,y}
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15. int add (int a, int b)
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17.   a = a + b;
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22.   int t;
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24.   z = add(z, t); // {z,t}
25.   return z; // {z}
26. }
```

Slicing criterion : $\langle 13, \{y\} \rangle$

Interprocedural slicing : issues

- Multiple slicing of same procedure
- The calling context
- Parameter passing

Interprocedural slicing as a graph reachability problem

System dependence graph (SDG) by S. Horwitz et al. (1990)

- A PDG constructed for every procedure
- Interconnection made from call site to entry point of called procedure
- Procedure entry point is taken to be control dependent on call site
- Additional edges added to depict data flow of actual to formal and return value
- Transitive dependence inferred to create additional dependence across the call between input-output

Slicing is done as finding reachability in the integrated graph

- While slicing a procedure do not go down a call immediately, just record the slicing criteria for called procedure
- After slicing a procedure go up to call places only if current procedure is being sliced in up-traversal

Dynamic slicing

- Static slice is set of statements which can influence the values identified by slicing criterion in any execution of the program
- In debugging, one examines possible causes of a bug observed in a given (**single**) execution of the program
 - Static slice may throw a much larger number of statements than one has to look at in debugging process
- Dynamic slice is set of statements which influence the values, identified by slicing criterion, in a given execution (identified by given input) of the program
 - Introduced by Korel & Laski (1988)

Example

```
1. read(x)
2. if (x < 0)
3.   y = f1(x)
4.   z = g1(x)
5. else
6.   if (x=0)
7.     y = f2(x)
8.     z = g2(x)
9.   else
10.    y = f3(x)
11.    z = g3(x)
12.  endif
13. endif
14. write(y)
15. write(z)
```

```
1. read(x)
2. if (x < 0)
3.   y = f1(x)
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12.  endif
13. endif
14. write(y)
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```

Static slice

```
1. read(x)
2. if (x < 0)
3.   y = f1(x)
4.   z = g1(x)
5. else
6.   if (x=0)
7.     y = f2(x)
8.     z = g2(x)
9.   else
10.    y = f3(x)
11.    z = g3(x)
12.  endif
13. endif
14. write(y)
15. write(z)
```

Dynamic slice for x = -1

```
1. read(x)
2. if (x < 0)
3.   y = f1(x)
4.   z = g1(x)
5. else
6.   if (x=0)
7.     y = f2(x)
8.     z = g2(x)
9.   else
10.    y = f3(x)
11.    z = g3(x)
12.  endif
13. endif
14. write(y)
15. write(z)
```

Dynamic slice for x = 0

Dynamic slice definition – Korel & Laski

- A **trajectory / execution history** is sequence of statements executed for a given input
 - For $n=1$, trajectory is 1,2,3,4,5,6,7,8,5,10,11

```
1. read(n)
2. z = 0
3. y=0;
4. i=1;
5. while (i <= n)
6.     z = f1(z,y)
7.     y = f2(y)
8.     i = i+1 ;
9. endwhile
10. write(z)
11. write(y)
```

```
11 read(n)
21 z = 0
31 y=0;
41 i=1;
51 i <= n
61 z = f1(z,y)
71 y = f2(y)
81 i = i+1
52 i <= n
101 write(z)
111 write(y)
```

Dynamic slice definition – Korel & Laski

- A *trajectory / execution history* is sequence of statements executed for a given input
 - For $n=1$, trajectory is 1,2,3,4,5,6,7,8,5,10
- Slicing criterion : $\langle x, I^q, V \rangle$, e.g. $\langle 1, 10^1, \{z\} \rangle$ with respect to the trajectory produced
 - Let T be trajectory and T_f be the prefix (front) of T till I^q

```
1. read(n)
2. z = 0
3. y=0;
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 - Let T be the trajectory and T_f be the prefix (front) of T till I^q
- Dynamic slice is a **subprogram** P' of P such that if P' produces trajectory T' on input x , then
 - There is a prefix (front) T'_f of T' which ends at I^q
 - T'_f can be produced from T_f by deleting all statements which do not belong to P'
 - $\forall v \in V$, value of v before execution of I^q in T equals the value of v before execution of I^q in T'

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1. read(n)
2. z = 0
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Dynamic slice definition – Korel & Laski

- A *trajectory / execution history* is sequence of statements executed for a given input
 - For $n=1$, trajectory is 1,2,3,4,5,6,7,8,5,10
- Slicing criterion : $\langle x, I^q, V \rangle$, e.g. $\langle 1, 10^1, \{z\} \rangle$
 - With respect to the trajectory T produced by P on input x . Let T_f be the prefix of T till I^q
- Dynamic slice is a subprogram P' of P such that if P' produces trajectory T' on input x , then
 - There is a prefix T'_f of T' which ends at I^q
 - T'_f can be produced from T_f by deleting all statements which do not belong to P'
 - $\forall v \in V$, value of v before execution of I^q in T equals the value of v before execution of I^q in T'

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Dynamic slice computation – Korel & Laski

- Like static slice, there is notion of statement-minimal dynamic slice and computing the same is undecidable in general
- Can we take the trajectory as a program and slice it as a static slice?

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2. z = 0
3. y=0;
4. i=1;
5. while (i <= n)
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Dynamic slice computation – Korel & Laski

- Like static slice, there is notion of statement-minimal dynamic slice and computing the same is undecidable in general
- Can we take the trajectory as a program and slice it as a static slice?
 - No, something more needed

```
1. read(n)
2. z = 0
3. y=0;
4. i=1;
5. while (i <= n)
6.     z = f1(z,y)
7.     y = f2(y)
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```


Dynamic slice computation – Korel & Laski

- Like static slice, there is notion of statement-minimal dynamic slice and computing the same is undecidable in general
- Can we take the trajectory as a program and slice it as a static slice?
 - No, something more needed
- Dynamic slice computation from trajectory
 - Data dependence can be taken as is
 - Extend the notion of control dependence to test instructions
 - So test at line 5¹ controls 6¹, 7¹, 8¹, 5²
 - If one occurrence of an instruction is included then all its occurrences in T_f to be included

```
1. read(n)
2. z = 0
3. y=0;
4. i=1;
5. while (i <= n)
6.     z = f1(z,y)
7.     y = f2(y)
8.     i = i+1 ;
9. endwhile
10. write(z)
11. write(y)
```

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11 read(n)
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31 y=0;
41 i=1;
51 i <= n
61 z = f1(z,y)
71 y = f2(y)
81 i = i+1
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Dynamic slice computing algorithm

C : $\langle x, I^q, V \rangle$: Slicing criterion, **B(n)** : Test condition which controls statement at n

LD(n) : statements which give last definition to variables used at n

LDC : statements which give last definition to variables in V at slicing criterion point

$$A^0 = LDC \cup B(I^q)$$

$$S^0 = A^0$$

$$S^{i+1} = S^i + A^{i+1}$$

$$A^{i+1} = \{ X^p \mid X^p \notin S^i \text{ and } X^p \in T_f \text{ and } \exists Y^t \in A^i. X^p \in LD(Y^t) \text{ or } X^p = B(Y^t) \text{ or } (X = Y) \}$$

Slice is projection of S^k such that A^{k+1} is $\{\}$

Dynamic slice computing using PDG : Agrawal & Horgan (1990)

- Identify a subgraph of PDG using the trajectory
 - Nodes which got traversed
 - Edges which got traversed
- Restrict the traversal of PDG (for slicing) to the subgraph
- Restriction through edges traversed gets the same slice as one by Korel & Laski algorithm

Dynamic slice computing using PDG : Agrawal & Horgan (1990)

- Restriction by nodes or edges can produce larger dynamic slices
- Create the PDG for whole trajectory and use it for slicing
 - Dynamic dependence graph
 - Can have unbounded size
- Create a reduced dynamic dependence graph (merge the nodes with same transitive dependencies)

Static slice vs dynamic slice : Pros & Cons

- Static slice

- Pros

- Easy to compute
 - Preserves behavior for all runs
 - Good for regression testing, semantic differences, program comprehension

- Cons

- Too large to be of use for debugging
 - Imprecision due to arrays, pointers etc

- Dynamic slice

- Pros

- No imprecision due to arrays, pointers etc
 - Small size and good for debugging

- Cons

- Computing time and space complexity is high (trajectories could be huge)
 - Slice is useful only for debugging and not for what-if kind of queries

Some other variants of program slicing

- Chopping : Intersection of forward and backward slices [Daniel Jackson et al., 1994]
 - Statements which impact a slicing criterion $\langle s1, X1 \rangle$ and get impacted by a slicing criterion $\langle s2, X2 \rangle$
- Conditioned : a generalised slicing [Genardo Canfora et al., 1998]
 - Set of statements which preserve the behavior of program with respect to a slicing criterion $\langle s, X \rangle$ along a given set of execution paths (specified by a first order logic formula over input variables)
- Thin slice : a non-executable static slice ignoring control dependence [M. Sridharan et al., PLDI 2007]
 - Resulting slice is small
 - Useful in debugging in neighbourhood
- Value slice : an executable but relaxed static slice [S. Kumar et al., TACAS 2015]
 - Values are same when observed on prefixes of same size of two trajectories
 - Resulting slices are smaller than usual backward slice
 - Useful in scaling up of model checking

To summarise ...

- Program slicing
 - A subprogram which preserves the behavior of original program with respect to a slicing criterion $\langle s, X \rangle$
- Static backward slice computation
 - Using data flow equations
 - Using PDG
 - Issues faced
- Variants of program slicing:
 - static/dynamic, forward/backward, executable/non-executable
- Dynamic slicing and its computation
- Some other variants of program slicing

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